

Multi-Color Soft X-ray Diagnostic Design for the Levitated Dipole Experiment (LDX)

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We present a design for a new diagnostic to measure the warm plasma electron temperature on LDX using a 'multi-color' soft X-ray diode array. The challenge is to select thin-film coatings that allow detection of soft X-rays while minimizing the signals from the more energetic, 20-60 keV, trapped electrons created by electron cyclotron resonance heating [Garnier, et al., *Phys. Plasmas*, **13** (2006) 056111]. The soft X-ray detector array presented here is designed to be sensitive to 0.5-5 keV bremsstrahlung emitted by the warm temperature of the higher density bulk plasma electrons. The array employs the 'two-foil' method in which filters are used such that different detectors observe different parts of the bremsstrahlung spectrum. We present conceptual design plans for the LDX diagnostic and also present results from an existing soft X-ray diode array installed to measure the electron temperature of the dipole-confined plasma diagnostic in the Collisionless Terrella Experiment (CTX). Supported by US DOE Grants: DE-FG02-98ER54458/9.





Hot Electrons up to 60 keV



Measurements of X-rays have been used on LDX to deduce the temperature of the heated, highenergy electron population¹.

The temperature of the hot electrons is 20-60 keV.

¹ J. L. Ellsworth

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Power from Bremsstrahlung as function of frequency and electron temperature $P_{brem}(\nu, T_e) = N_e N_i Z^2 \left(\frac{e^2}{4\pi\epsilon_o}\right)^3 \frac{32\pi^2 g}{3\sqrt{3m^2c^3}} \sqrt{\frac{2m}{\pi T_e}} e^{\frac{-h\nu}{T_e}}$ $\propto N_e N_i Z^2 \sqrt{\frac{1}{T_e}} e^{\frac{-h\nu}{T_e}}$ Power from Recombination as function of frequency and electron temperature $P_{recon}(\nu, T_e) = N_e N_i Z^2 \left(\frac{e^2}{4\pi\epsilon_o}\right)^3 \frac{32\pi^2 g}{3\sqrt{3m^2c^3}} \sqrt{\frac{2m}{\pi T_e}} e^{\frac{-h\nu}{T_e}} \left[\frac{Z^2 R_y}{T_e} \frac{2G_n}{n^3} e^{Z^2 R_y/n^2 T_e}\right]$ $\propto \frac{N_e N_i Z^4}{n^3 T_e^{3/2}} e^{\frac{h\nu - |E_n|}{T_e}}$

Estimating the Temperature

We compare probe measurements of the electron temperature at the edge of the LDX plasma to profile models to calculate an estimate of the peak warm electron temperature.

 $\begin{array}{rcl} T_{e(core)} &\sim ? \ at \ 0.78 \ m \\ T_{e(edge)} &\sim 25 \ eV \ at \ 2.2 \ m \\ & N &\propto V^{-1} \propto r^{-4} \\ pV^{\gamma} &= \ constant \\ \gamma &= 5/3 \\ p \propto V^{-\gamma}, \ N \propto V^{-1} \rightarrow \ T_e \propto V^{\gamma-1} \\ \\ \hline \frac{T_{e(core)}}{T_{e(edge)}} \propto \left(\frac{V_{edge}}{V_{core}}\right)^{\gamma-1} \propto \left(\frac{R_{edge}^4}{R_{core}^4}\right)^{\gamma-1} \implies T_{e(core)} \sim \ 16T_{e(edge)} \sim \ 400 \ eV \end{array}$

Warm and Hot Electron Densities

An important measurement on LDX is to determine the relative densities of the hot, heated (ECRH) electrons and the warm electrons.

Comparing radiometer² measurements of electron cyclotron radiation to diamagnetic current measured by a magnetic loop at the equator gives a ratio of the hot electron pressure to the total electron pressure. This is because the radiometer measurements are a function of the hot electron pressure and the diamagnetic current is a function of the total electron pressure.

 $\frac{radiometer}{diamagnetic} = \frac{p_{e(hot)}}{p_{e(hot)} + p_{e(warm)}} \equiv R \implies \frac{n_h}{n_w} = \frac{RT_w}{T_h - RT_h}$

 $Example: \ T_{e(hot)}\sim 30 \ keV \ , \ T_{e(warm)}\sim 400 \ eV \ , \ R=0.9 \implies \frac{n_h}{n_w} \ = \ 0.12$

² Paul Woskov

















Future Work

Build it!

Build the single view multi-filter and install it on LDX. This will allow us to determine if the signal strength is sufficient and whether the line emission and hot electron emission is sufficiently small to allow for an accurate measure of the warm electron temperature.